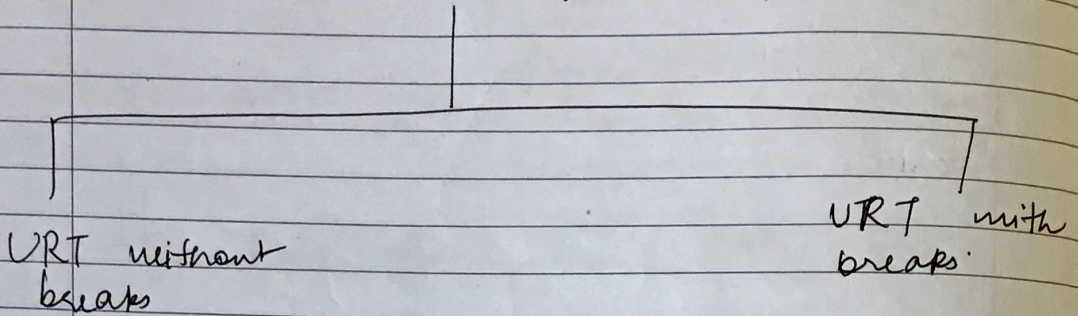
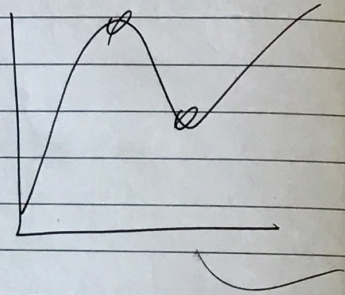


Unit root test



1948
Global Fundamental
Regional Fundamental
Nation " "



Three sources of break

1. Structural break.
2. Policy Regime shift
3. Exogenous break
 - 3(a) Natural & disaster
 - 3(b) Earthquake
 - 3(c) War

How do we distinguish b/w
Drift and Break

a) you can drift in the same regime

when the equilibrium goes off
the Nash equilibrium it is
structural break

Peron (1989) challenges the series
is stable over long period of
time. His allows for one
exogenous structural breaks.

Peron (1989) — unit test in the
presence of one subjective
(exogenous) break date

~~One~~ important break date

He developed Model A, Model B, and
Model C

Only addition to RWM w/ Drift

$$Y_t = \mu + \beta Y_{t-1} + \alpha (BT)_t + e_t$$

Grash
Model

$$Y_t = \mu_2 + \beta_2 (Y_{t-1}) + (\mu_2 - \mu_1) \Delta T + e_t$$

changing growth
Model

$$Y_t = \mu + \beta Y_{t-1} + \alpha (BT)_t + (\mu_2 - \mu_1) \Delta T + e_t$$

Model c

Pure RWM with drift
and trend

Create a dummy variable

DATE

1929 - Global Reces

1973 - Oil Crash

If $(u_2 - u_1)$ the growth is significant enough, then there is structure break in Model B

If it happen both at intercept and the slope - in model C

H_0 : Model (A):

$$\text{Model (A)}: y_t = u_1 + y_{t-1} + d \cdot D(TB)_t + e_t$$

$$\text{Model (B)}: y_t = u_1 + y_{t-1} + (u_2 - u_1) \cdot D y_t + e_t$$

$$y_t = u_1 + y_{t-1} + \alpha B(TB)_t + (u_2 - u_1) \Delta u_t + e_t$$

H. : Alternative

$$y_t = u + B_T + (u_2 - u_1) \Delta u_t + e_t$$

$$y_t = u_1 + B_1 t + (B_2 - B_1) \Delta t + e_t$$

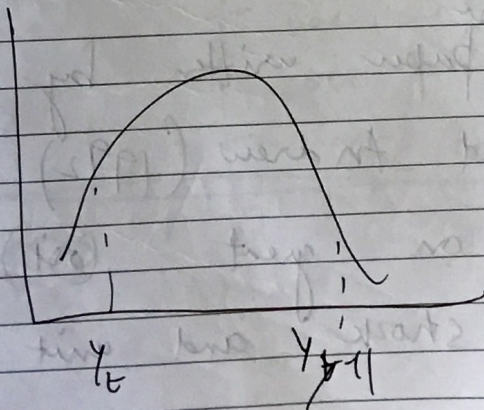
$$y_t = u_1 + B_1 t + (u_2 - u_1) \Delta u_t + (B_2 - B_1) B_T + e_t$$

The model contains unit ^{root} at level with break.

Unit root exists in the presence of break in the slope for

unit root in the presence of break both at intercept and slope

~~we have to compare~~ you are searching for breaks in either model A, B or C.



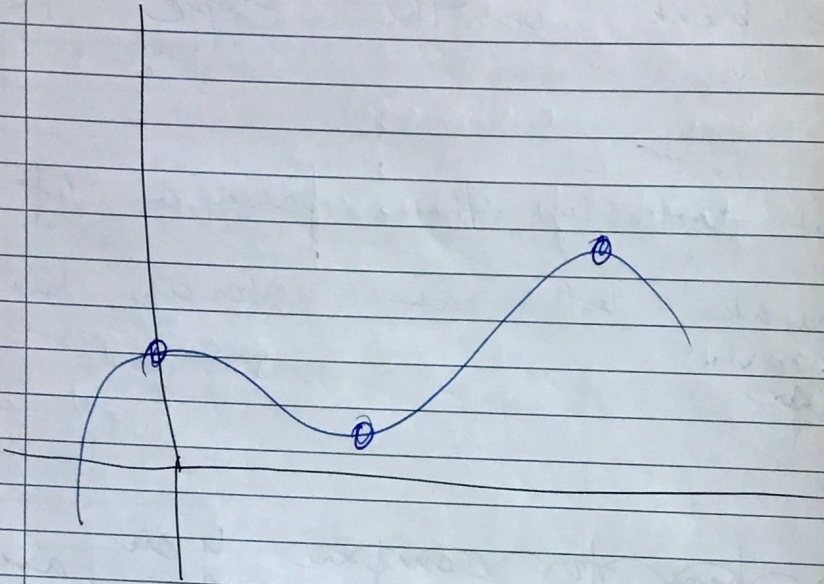
$$E(y_t) = \text{constant}$$

$$E(y_{t+1}) =$$

break in intercept

slope

slope and intercept



The exogenous assumption of break is the limitation.

* In another paper written by Zivot and Andrews (1992): further evidence on great ~~1990~~ 1980 crash, oil price shock and unit root.

They addressed the problem.

They said that there are another events that are as important in the series:

* Person did not consider the OPEC formation.

* The tax cut happened in 1964

* Vietnam

The economy can have other events that shape the

FOR EXAMPLES

1960's

These are expected to be break points.

- Tax cut (1964)
- oil price (1973)
- OPEC (1973)

Let the data choose
which is the significant
break and choose from
other

data dependent unit roots
in the presence of break

Similarity

* Both assume the
presence of one break
date

The null hypothesis is that
there is a drift

In the alternative no
break

H_0 : Presence of unit root with drift

H_1 : Trend stationary that allow the presence of one unknown or endogenous break date in the trend function.

They adjusted the ADF model

They were able to counter the concl. of Perron (1989)

MODELS USED FOR THE TESTS

$$Y_t = \hat{\alpha} + \underbrace{\hat{\theta} \Delta u_t(\hat{\alpha})}_{\text{the only difference}} + \hat{\beta} \Delta z_t + \hat{\alpha} y_{t+1}$$

This is modest
Crash model.

$$+ \sum_{j=1}^k \hat{c}_j \Delta y_{t+j}^{te}$$

this is the difference

$$Y_t = \hat{\alpha}^B + \hat{\beta}^B z_t + \underbrace{\hat{\alpha}^B \Delta T(\hat{\alpha})}_{\text{this is the difference}} + \hat{\alpha}^B y_{t+1} + \sum_{j=1}^k \hat{c}_j^B y_{t+j}^{te}$$

$$Y_t = \hat{\alpha}^c + \hat{\theta}^c \Delta u_t(\hat{\alpha}^c) + \hat{\beta}^c z_t$$

$$+ \hat{\alpha}^c \Delta T_t(\hat{\alpha}^c) + \hat{\alpha}^c y_{t+1}$$

This is
classmate lambda.

$$+ \sum_{j=1}^k \hat{c}_j \cdot y_{t+j}^{te}$$

Even if conclusion remained
the same, the break
date changed with the
use of Zivot and Andrews

Linnden and

Lumsdaine and Papellⁿ (1997)

H_0 : unit root ~~break~~ drift

H_1 : Trend stationary with two unknown break dates that can happen at level and slope of trend function.

- utilized only model (c) of 1989 test

Adjusted model c of Perron (1989)

THE MODEL

$$Y_t = \mu_1 + \underbrace{\alpha_1 \Delta \mu_1 + \alpha_2 TB_1}_{\substack{\text{First break} \\ \text{date}}} + \underbrace{\beta_1 \Delta \mu_2 + \beta_2 TB_2}_{\substack{\text{Second break date}}} + \phi \cdot Y_{t-1} + \sum_{j=1}^{k=1} c_j \Delta y_{t-k}$$

NELSON AND PLOSER (1982)

D.F developed 1976

A.D.F developed in 1979.

classmate K. P.S.S. (1992)

They tested 13 time series
for ~~LS~~ 1909-1970.

11 out of 13 series have
evidence in favour of null

② Perron (1989)

11 out of 13 series were
rejected

③ Zivot and Andrews in 1992

they only rejected the H_0 for

3 out of 13 series

④ Lumsdaine and Pappell (1997)

They were able to reject ~~to~~

for 5 series (additional 2)

The 2 other test drift in null.

The critical values will be all the different for tests ~~are~~ The appropriate level of significance, and other will have to be.

LEE AND STRAZTICH (2003)

1) spurious rejection ^{of H_0} because of the test exhibit size distortion.

2) The break point is incorrectly estimated because the tests tend to identify the break

point one period prior to the break point.

utilized model A and C of Perron (1989) tests

MODEL A:

more in complement with Perron.

H_0 : unit root with 2 unknown break dates at level as againsts

H_1 : level stationary with two unknown break dates

MODEL C

H_0 : unit root with 2 endogenous break dates at level and slope of the trend function

H_1 : trend stationary in the presence of two unknown break at both level and trend function.

MODEL A

$$y_t = \delta' z_t + e_t$$

$$e_t = \beta u_{1t} + v_1$$

z_t is a vector of exogenous variable

$z_t = [1, t, D_{jt}, \Delta z_t]$ under model A when $D_{jt} = 1$

for $t \geq T_{j+1}$ and $j=1, 2$ and 0 otherwise.

MODEL C

/ Drums for level.

$$Z = [1, t, \overbrace{D_{1t}, P_{2t}}^{\text{Drums for level}}, \overbrace{D_{1Tt}, D_{2Tt}}^{\text{Drums for slope}}]$$

Drums for slope.

$$DT_{j,t} = t - TB_j \quad \text{for } t \geq TB_j + 1$$

 $j = 1, 2, \text{ and } 0$
 otherwise.

~~$$H_0: u_t = u_0 + d_1 + B_{1t} + d_2 B_{2t} + y_{t-1} + e_t$$~~

~~$$H_1: y_t = u_1 + y_{t-1} + d_1 P_{1t} + d_2 P_{2t} + e_t$$~~

$$H_0: \rho = 1 \quad \text{unit root}$$

$$H_1: \rho < 1 \quad \text{trend station}$$

This is LM test

LEE & STRAZICH (2004)

H_0 : unit root in the presence of one unknown break date

H_1 : trend stationary in the presence of one unknown break dates

In this test they ~~are~~ only utilized model c

$$Z_t \in [1, t, \overset{\text{Dummy for level}}{\downarrow} D_{it}, \underset{\text{Dummy for trend}}{\uparrow} T_{it}]$$

In continuation from previous
secti.

Lee and Straztich (2003)
reject the H_0 for 6 series

VR

classmate

VR without breaks

1. DF
 2. ADF
 3. PP'
 4. ADF : GLS
 5. KPSS
- LM
 H_0 : Stationary
 H_1 : unit root
- t
 H_0 : unit root
 H_1 : stationary

VR with breaks.

- endogenous
1. Perron (1989) - t , exogenous
 2. Lee and Stratch (2003, 04)
 3. Zivot and Andrews +
 4. Lundsein and 1992 +
- H_0 : drift and walk and
- LM test
- 2 break

DATE

PAGE
